

Towards the CESM3 ocean component



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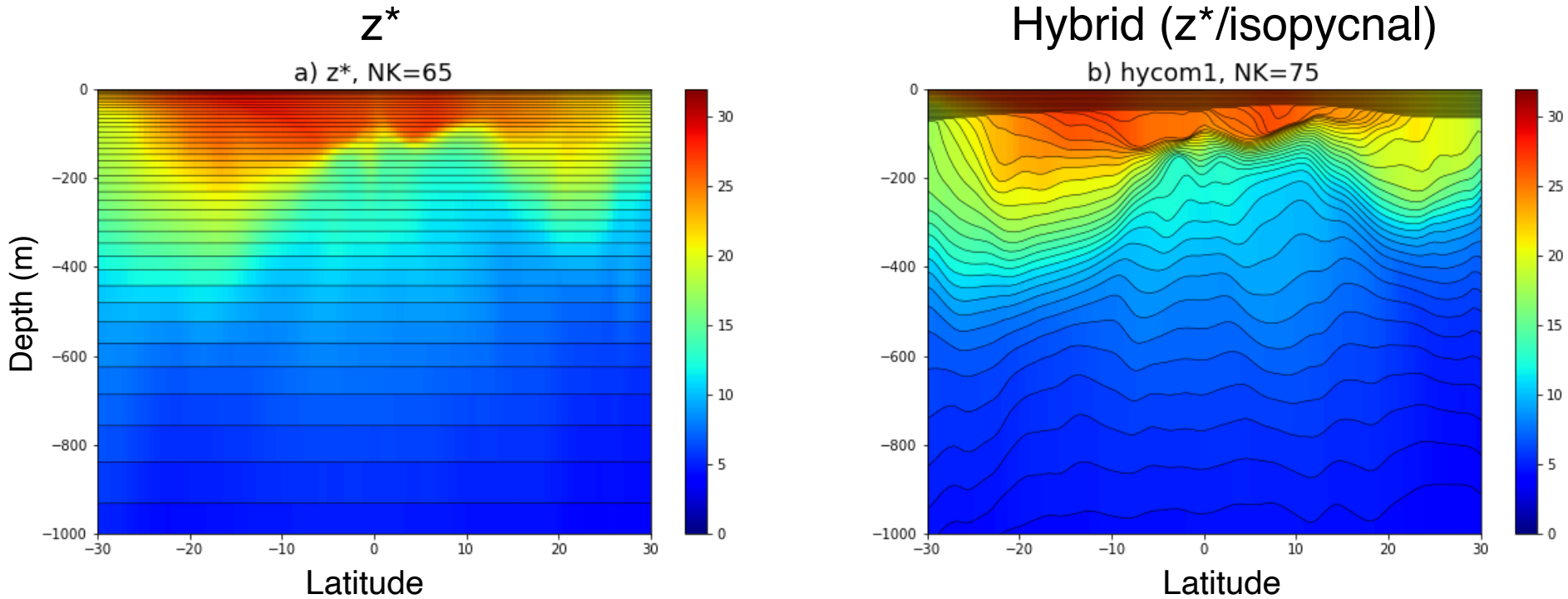
CESM OMWG, February 8, 2024

CESM “workhorse” configurations

	POP2	MOM6
H. Grid	1.125° dipole w/ equatorial refinement	0.66° tripole w/ equatorial refinement
V. Grid	z-coord., dz = 10 m @ surface, 60 levels	z*-coord. or hybrid (z*/isopyc) or vert. mode optimized , dz = 2.5 m @ surface, 65-75 levels
Freshwater B.C.	Constant volume, virtual salt flux	Variable mass, natural B.C
V. Mixing	CVMix-KPP + Langmuir	CVMix-KPP + wave processes
GM+Redi	Marshall N ² scaling	MEKE+GEOMETRIC scaling + Vertical structure in Redi + backscatter
Mixed Layer Eddies	Fox-Kemper et al. (2010), L _f = 5 km	Fox-Kemper et al. (2010), L _f = 1 km + Bodner et al. (2023)
H. Viscosity	Anisotropic Laplacian	Isotropic Laplacian + Biharmonic, via MEKE
Solar penetration	Ohlmann (2003)	Manizza (2005)
Advection	3 rd order upwind	Horiz. PPM, Vert. ALE w/ 3 rd order remapping
Other params	Overflow, estuary box model	subgrid scale EOS correction, geothermal, estuary box model

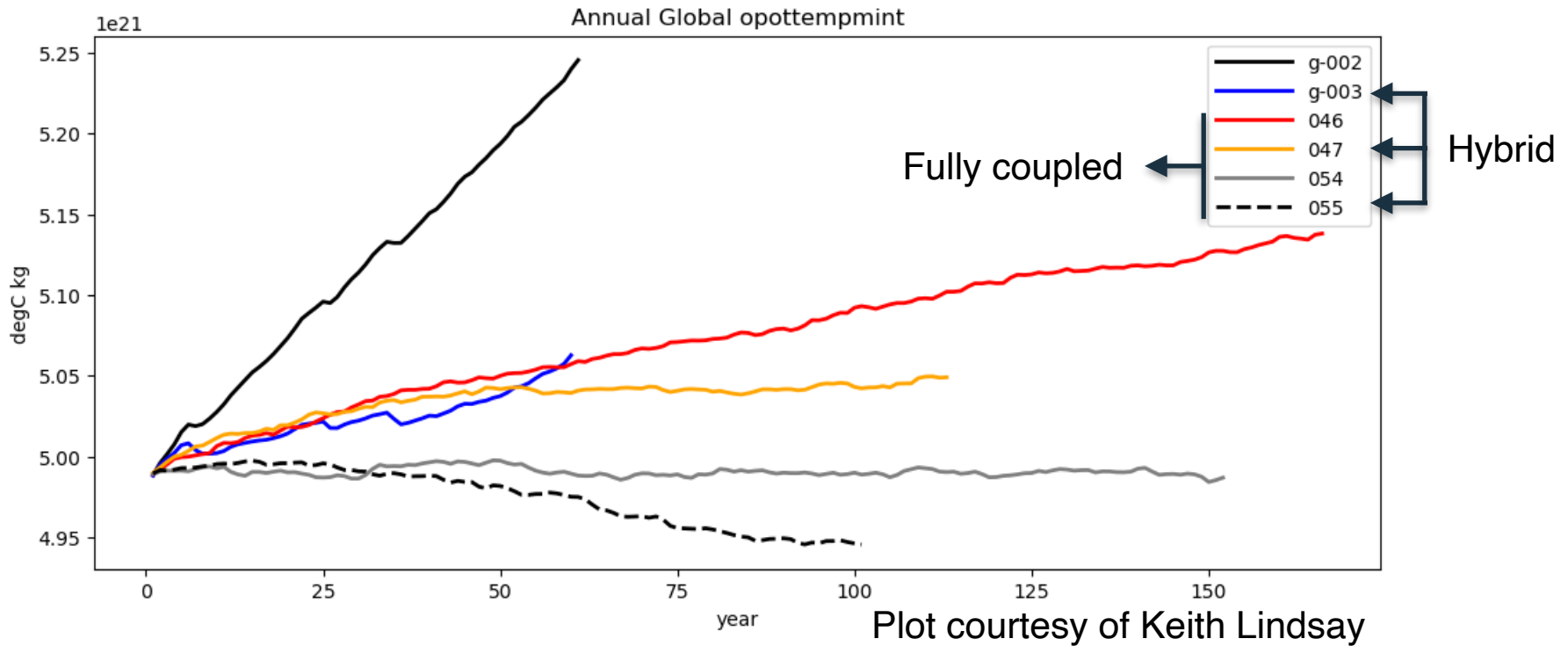
Vertical coordinates

Potential temperature transects across prime meridian:



Contours are layer interfaces and colors are potential temperature.

Global integrated temperature (forced and fully coupled)

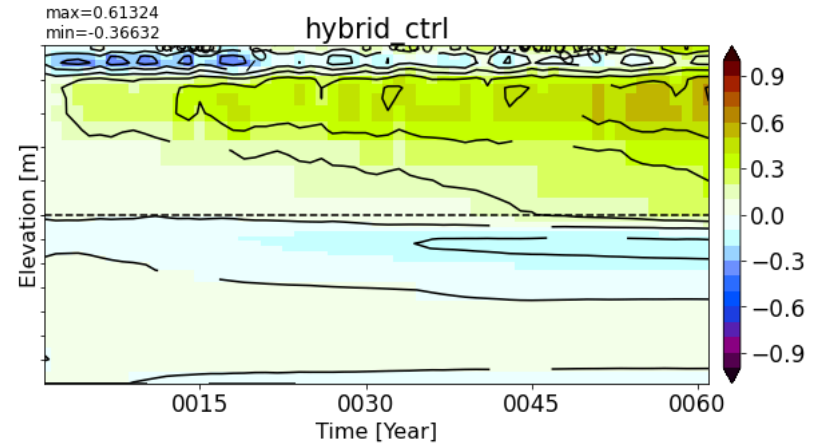
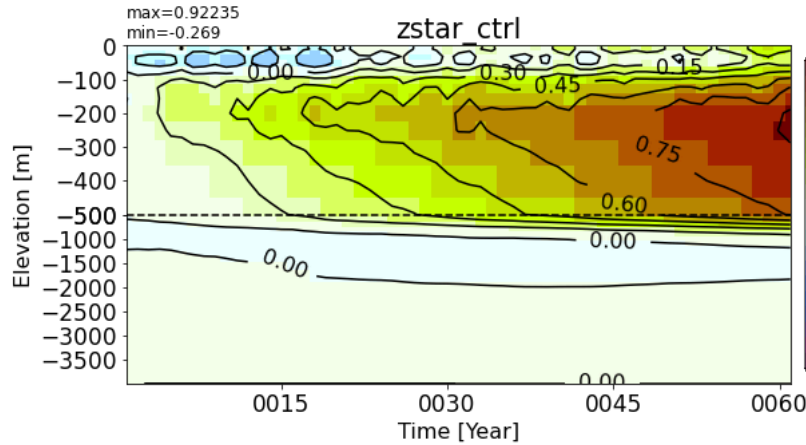


Hybrid cools relative to zstar (03/02, 47/46, 55/54). If we go with hybrid in CESM3, need to account for this in F compset RESTOM tuning.

Global T and S drifts (1 JRA cycle)

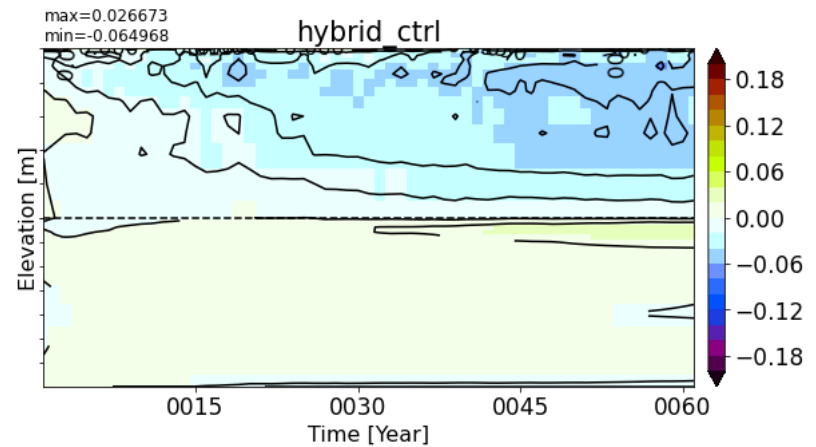
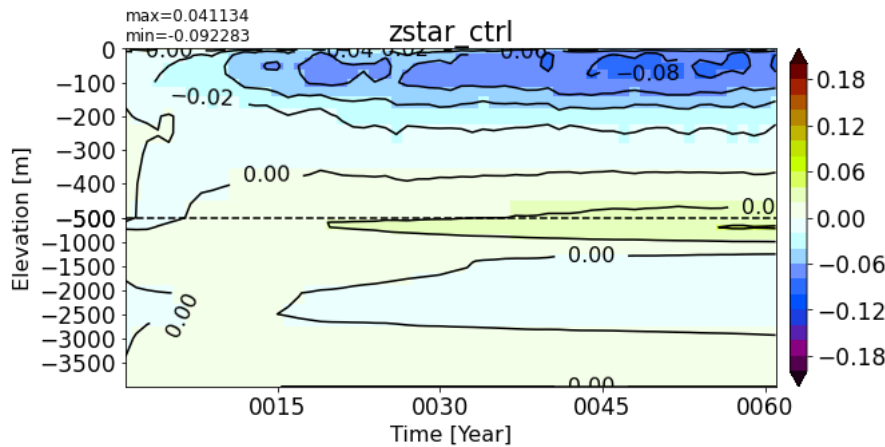
Temperature

Global, Potential Temperature bias [C]



Salinity

Global, Salinity bias [psu]

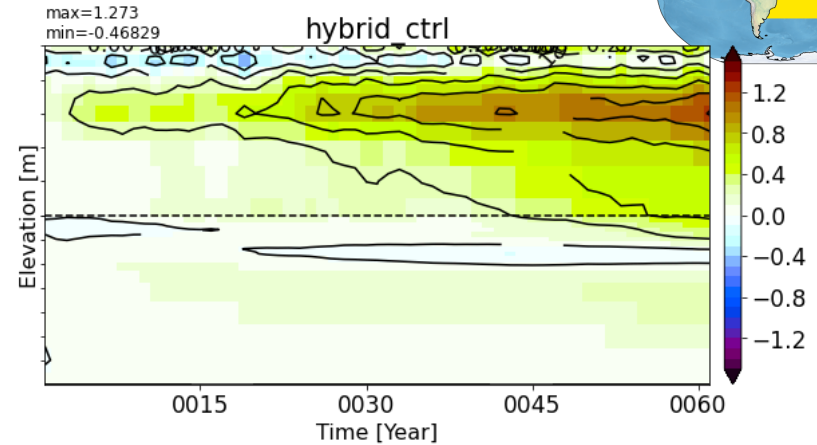
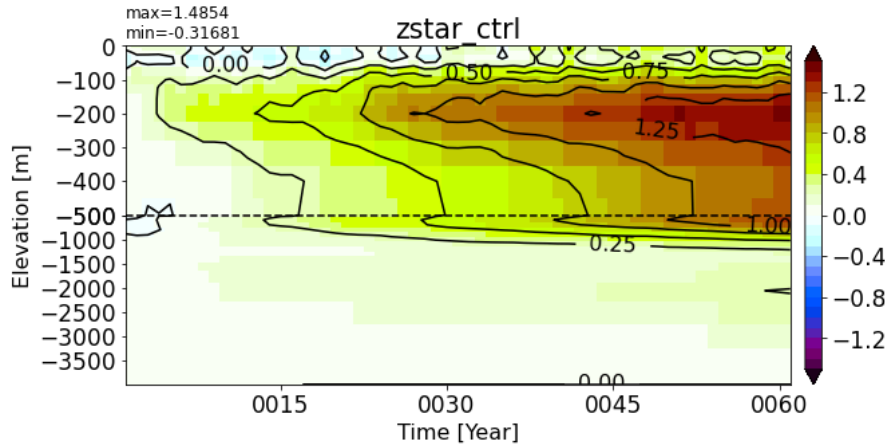


Zstar is warmer and fresher near the surface (above 500 m);
Hybrid is cooler and saltier at depth (below 500 m).

Atlantic T and S drifts

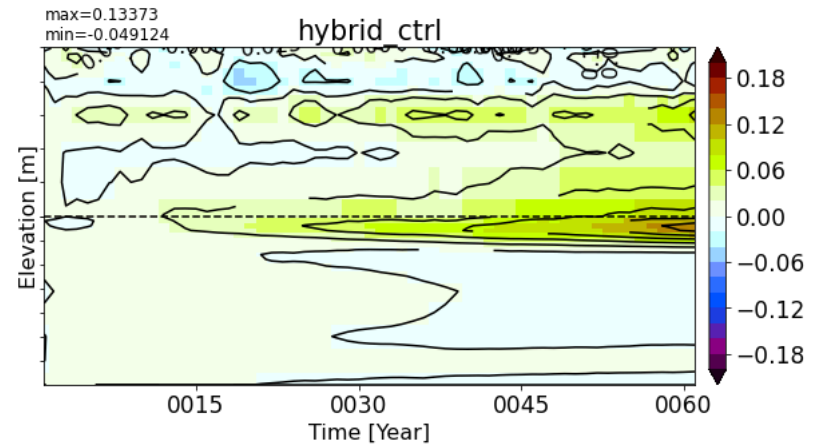
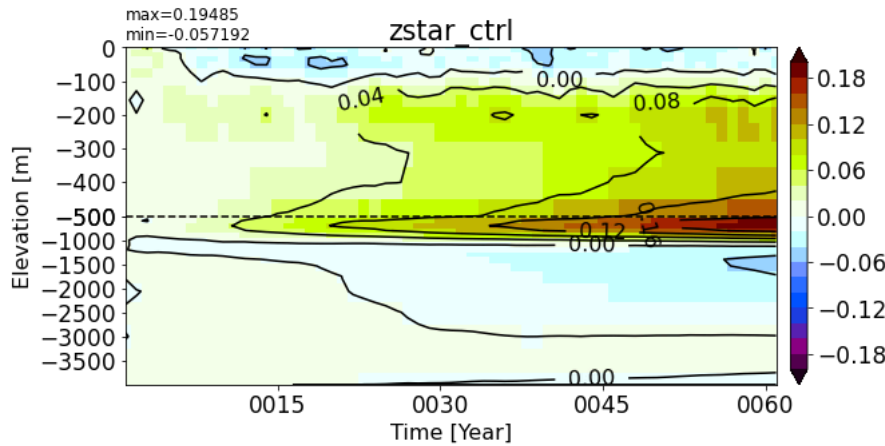
Temperature

AtlanticOcean, Potential Temperature bias [C]



Salinity

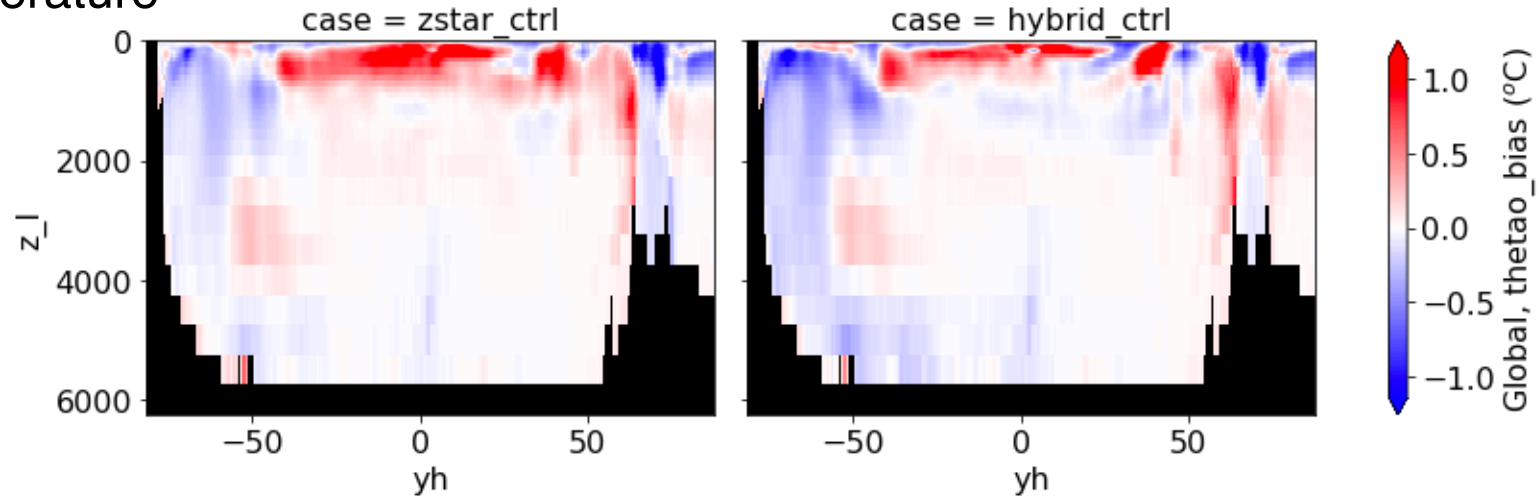
AtlanticOcean, Salinity bias [psu]



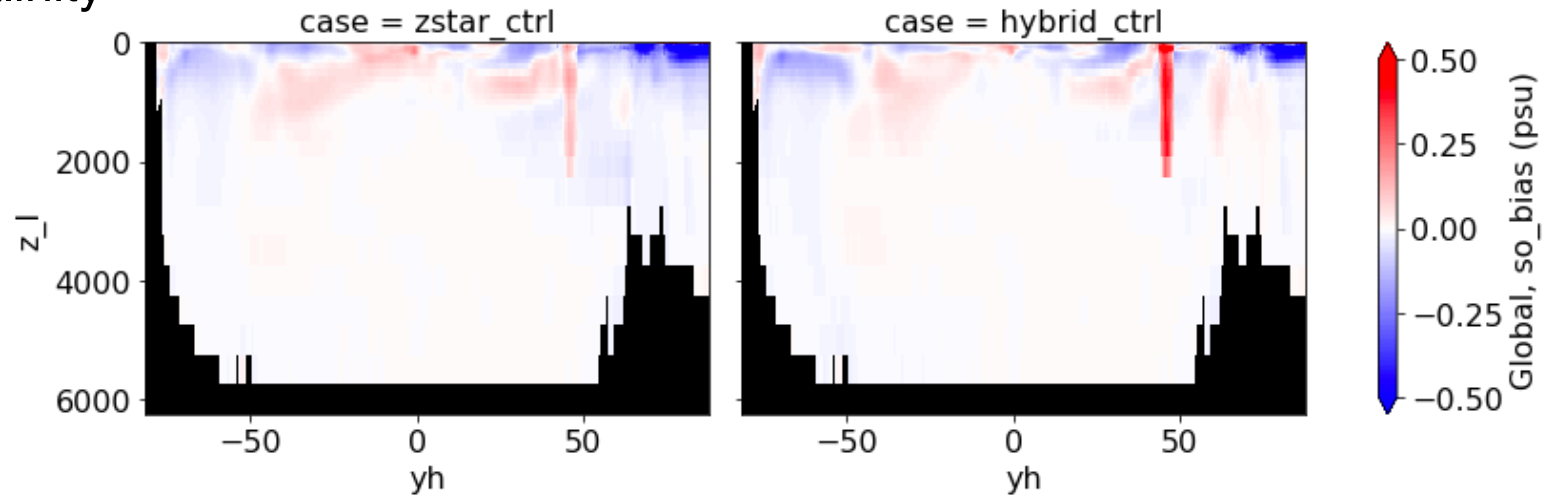
Zstar is warmer everywhere; bias due to Med Sea overflow worse in zstar.

Global zonally-averaged T and S biases (last 30 years)

Temperature



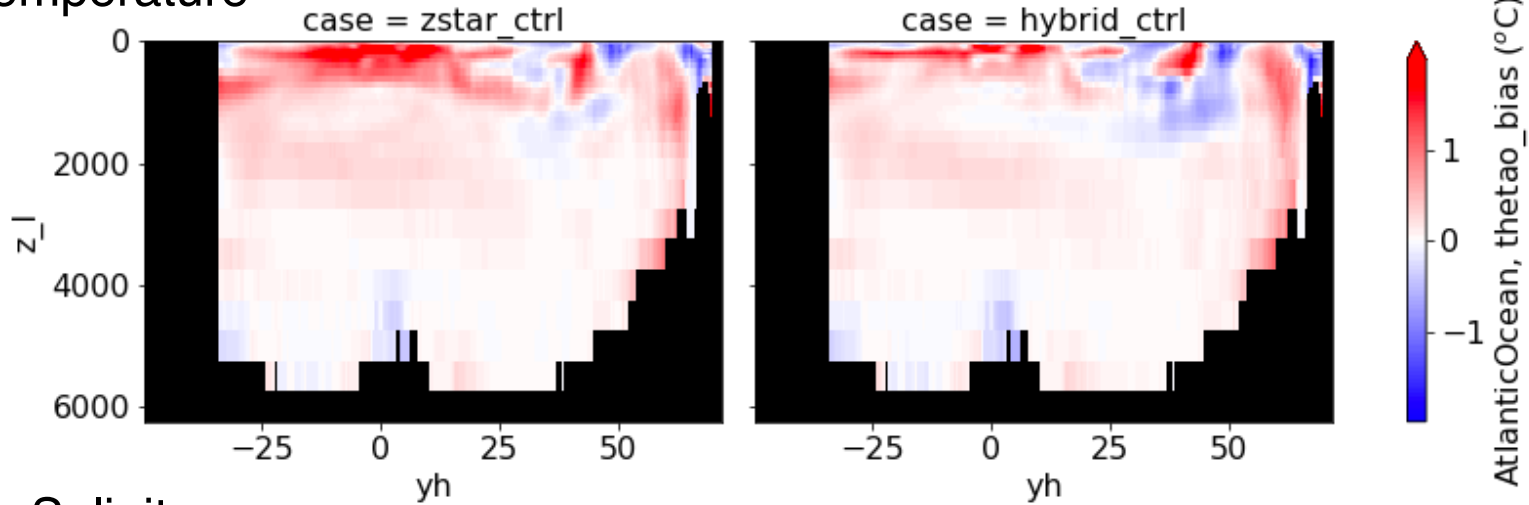
Salinity



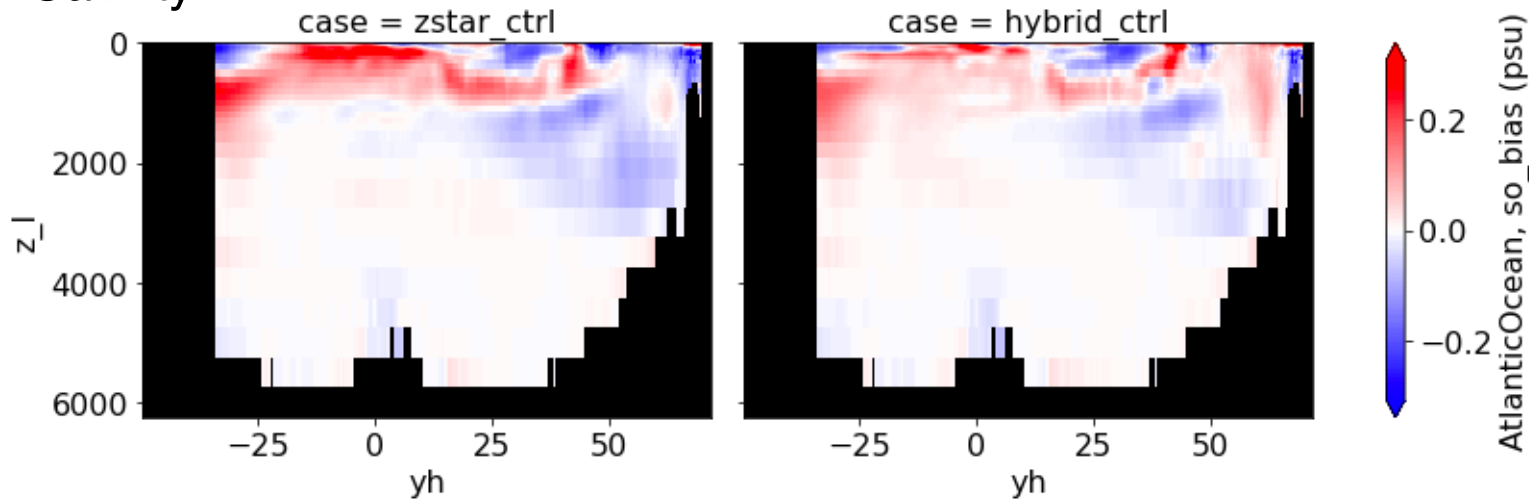
Zstar is warmer in the Equator; Hybrid is colder in the Southern Ocean.
Larger salinity bias in the Black Sea in hybrid.

Atlantic zonally-average T and S biases (last 30 years)

Temperature



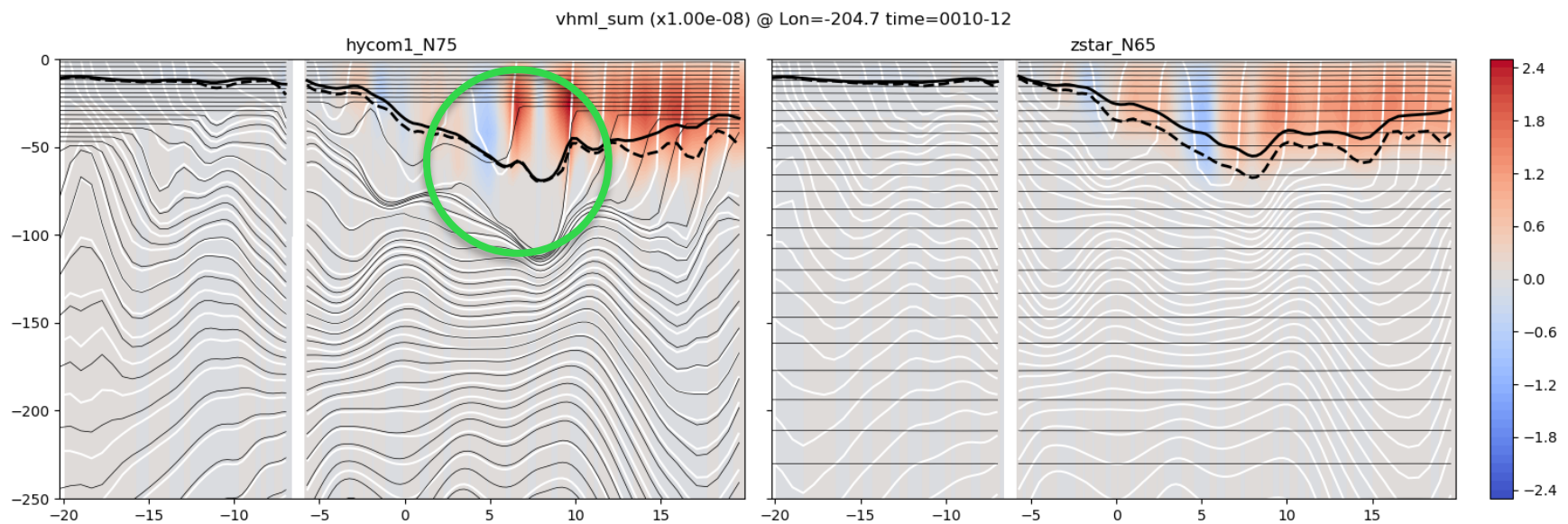
Salinity



Zstar is warmer and saltier in the Equator.

Loss of resolution in hybrid

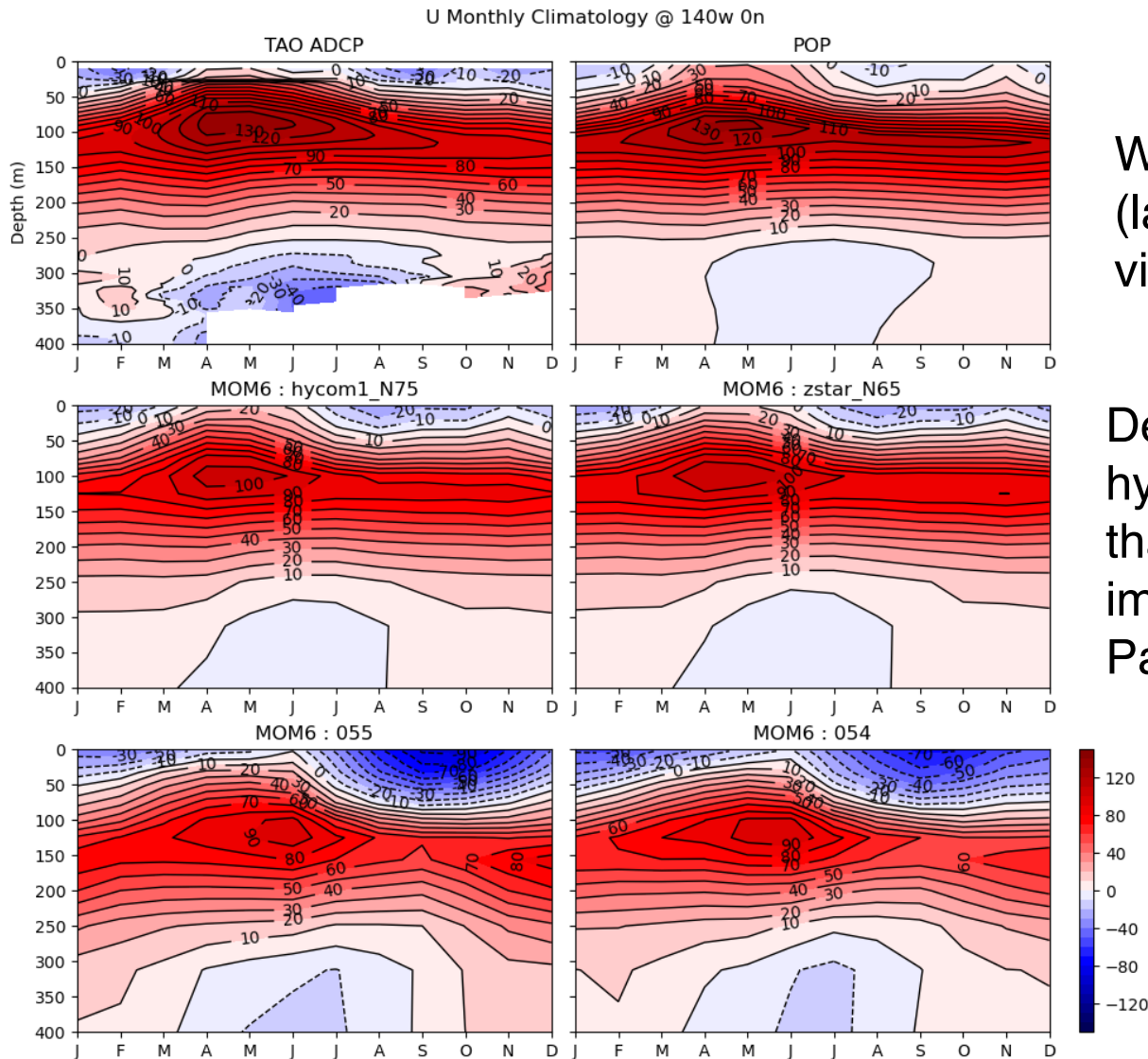
Example of where hybrid (hycom1) is not working properly.



Plot courtesy of Frank Bryan

It is interacting with the physics via MLE.

Equatorial under current



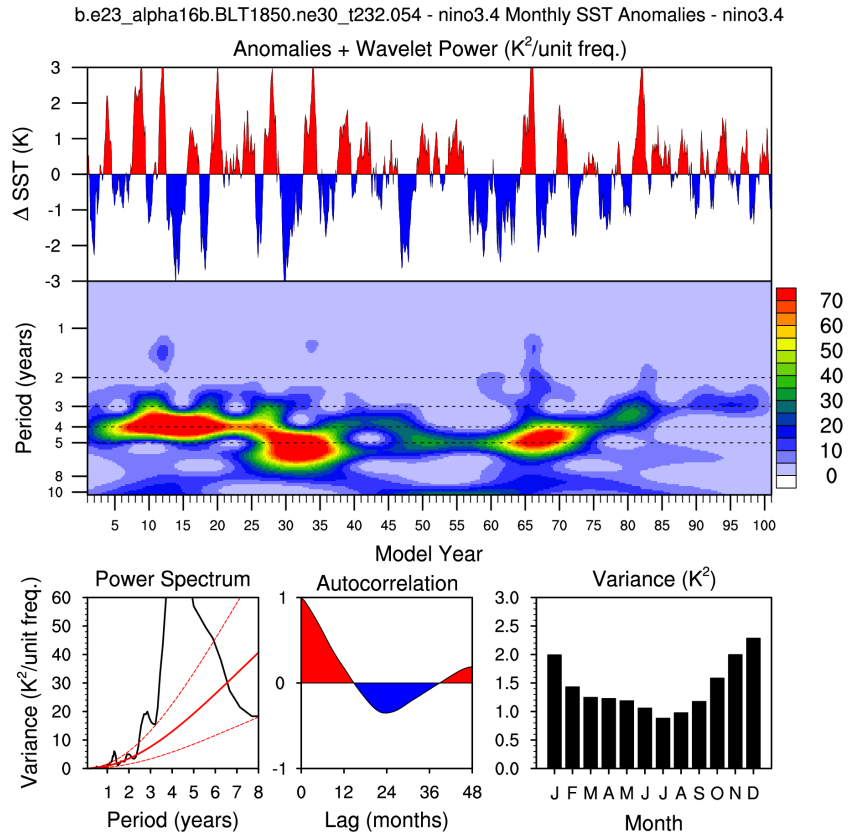
Weaker EUC in MOM6
(lack of anisotropic
viscosity?);

Despite problems we see in
hybrid layer thicknesses,
that does not strongly
impact EUC in central
Pacific.

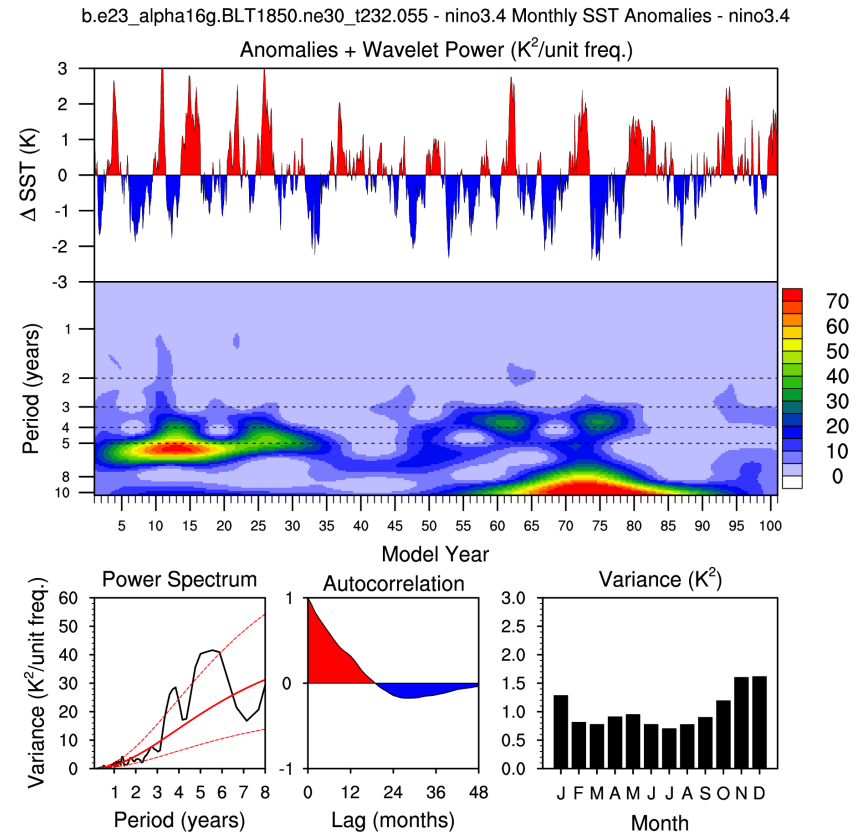
Plot courtesy of Frank Bryan

ENSO (nino3.4) in fully coupled cases (zstar vs hybrid)

zstar

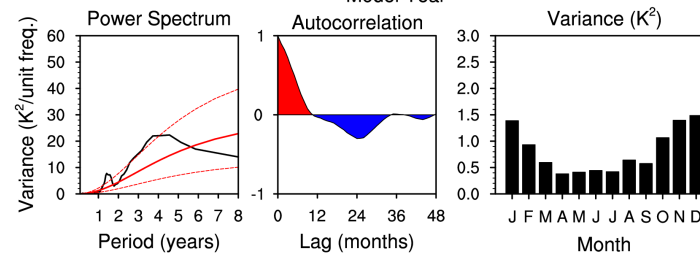


hybrid



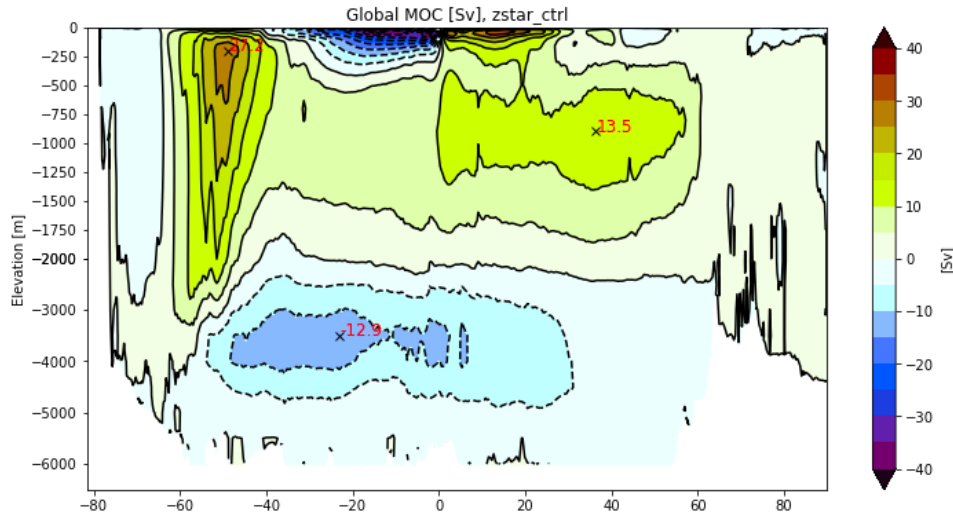
Plots courtesy of Rich Neale

HadISST

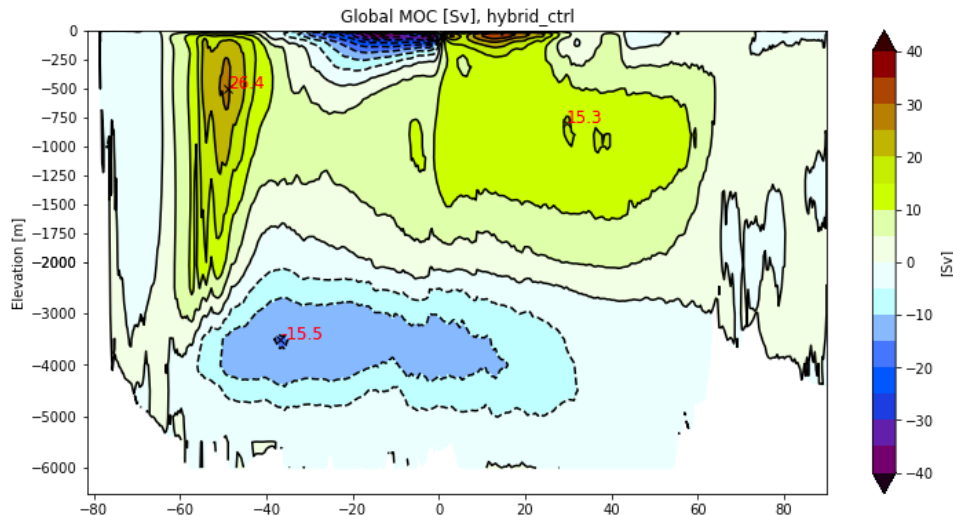


Hybrid looks good!

Global meridional overturning circulation [Sv]

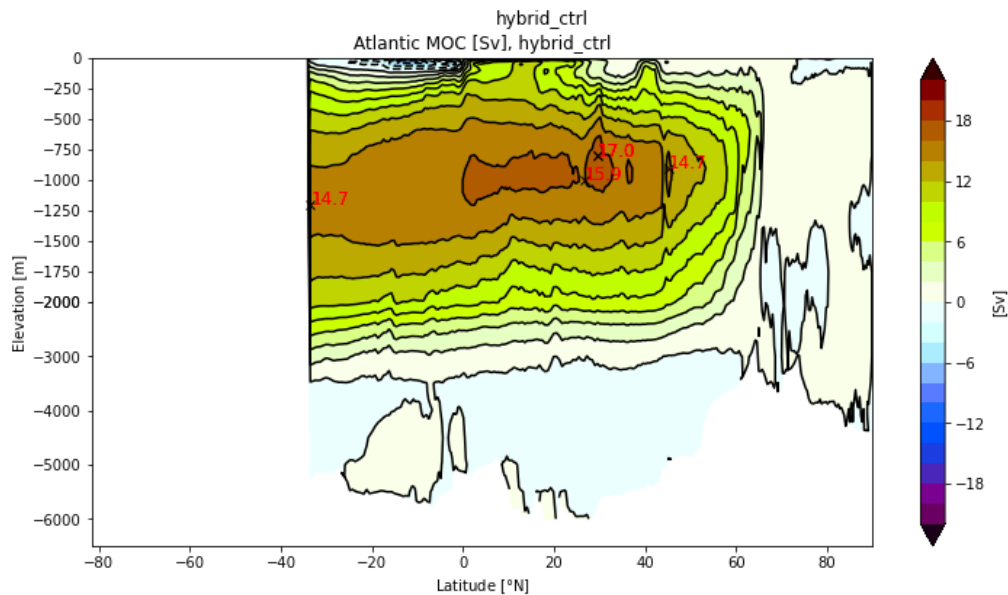
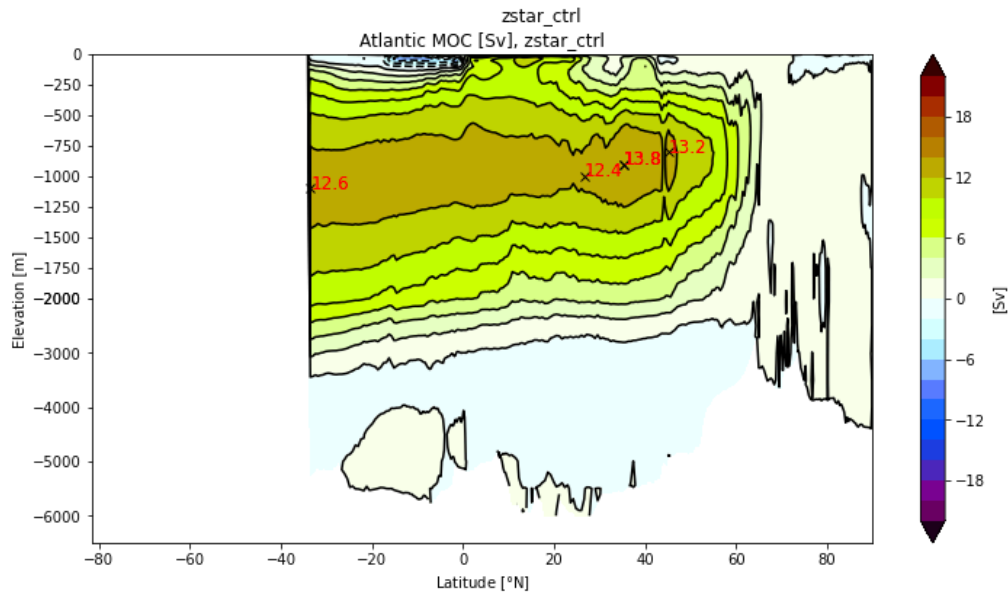


Average over last 30 years

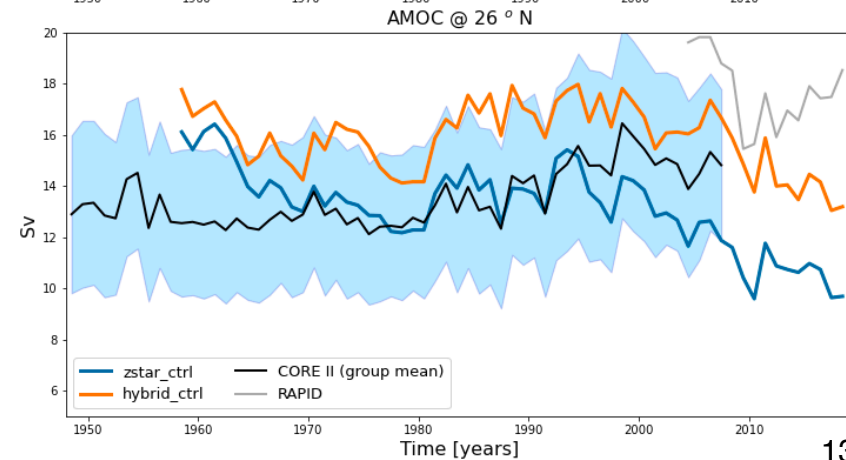
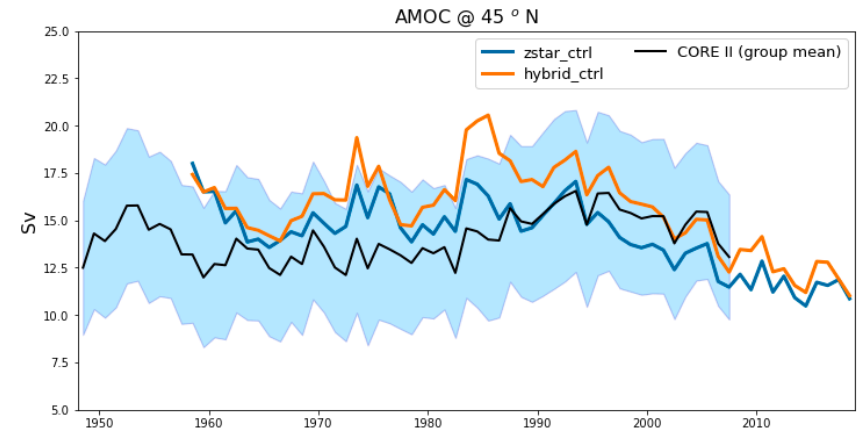


Overall similar MOC structure in zstar and hybrid. Stronger circulation in hybrid.

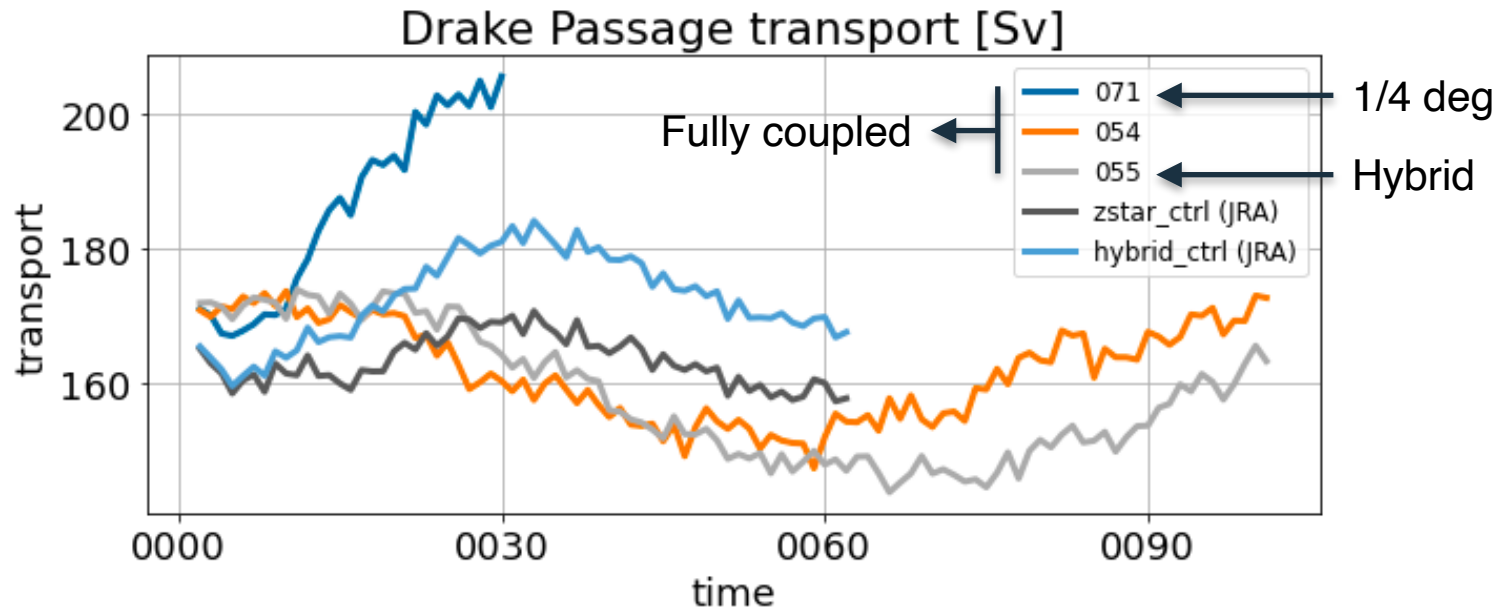
Atlantic meridional overturning circulation [Sv]



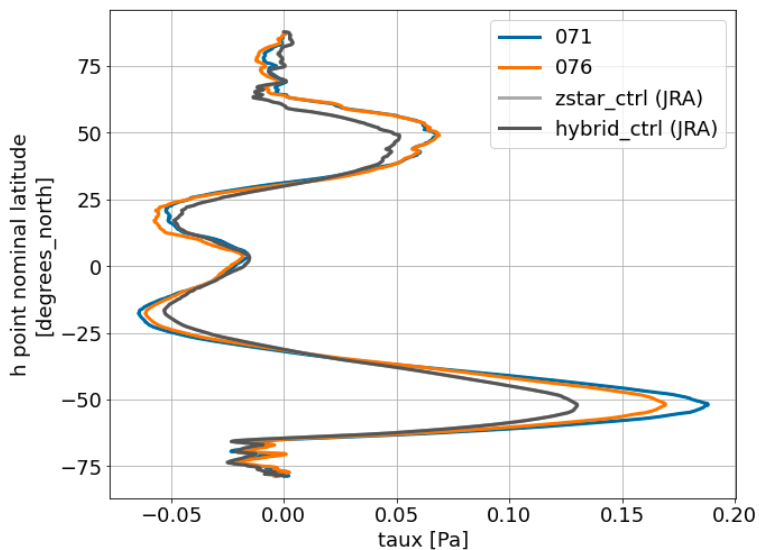
AMOC stronger in hybrid



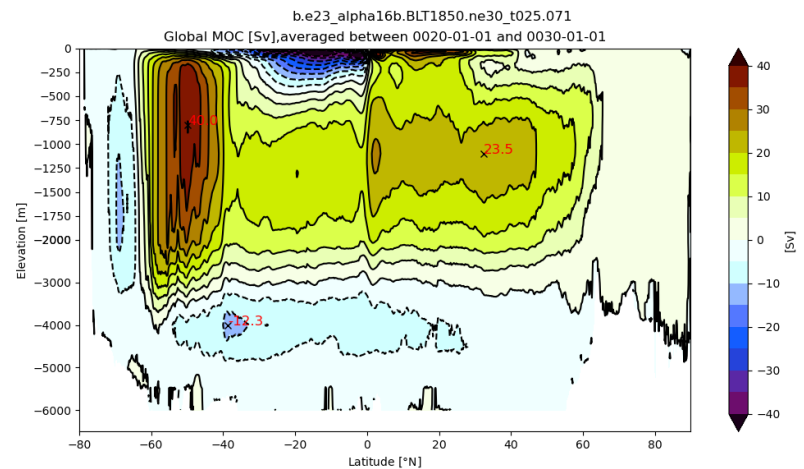
Drake Passage transport



Zonal average tau_x



Deacon cell is too strong in 1/4 deg fully coupled



Modifying the Mixed Layer Eddy Parameterization to Include Frontogenesis Arrest by Boundary Layer Turbulence

ABIGAIL S. BODNER^a, BAYLOR FOX-KEMPER^a, LEAH JOHNSON^b, LUKE P. VAN ROEKEL^c,
JAMES C. MCWILLIAMS^d, PETER P. SULLIVAN^c, PAUL S. HALL^a, AND JIHAI DONG^{f,g}

$$L_f = C_L \frac{(m_* u_*^3 + n_* w_*^3)^{2/3}}{f^2} \frac{1}{h}, \quad (24)$$

- $C_L \sim O(Ri)$
- u_* frictional velocity
- h boundary layer depth
- w_* turbulent convective velocity
- f Coriolis parameter
- m_* nondim 0.5
- n_* nondim 0.066

We have been using $L_f = 1$ km in CESM/MOM6

Streamfunction implemented in GCMs:

$$\Psi = C_e \frac{\Delta s H^2 \nabla_H \bar{b}^z \times \mathbf{z}}{L_f \sqrt{f^2 + \tau^{-2}}} \mu(z). \quad (6)$$

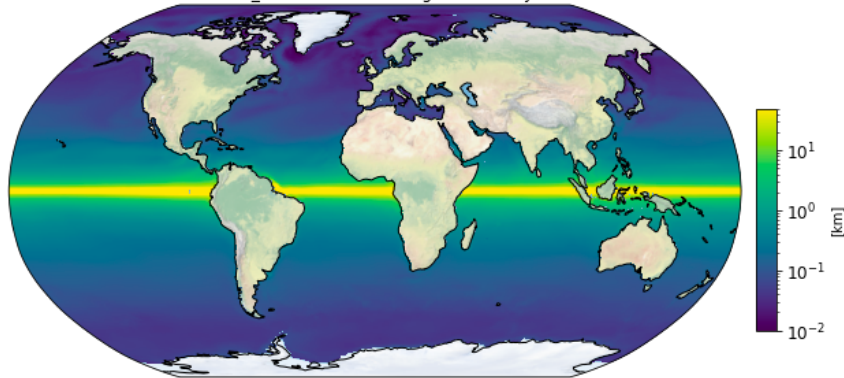
Global maps of L_f

February

max=19302
min=0.0046132

zstar_Bodner23, Front length (February)

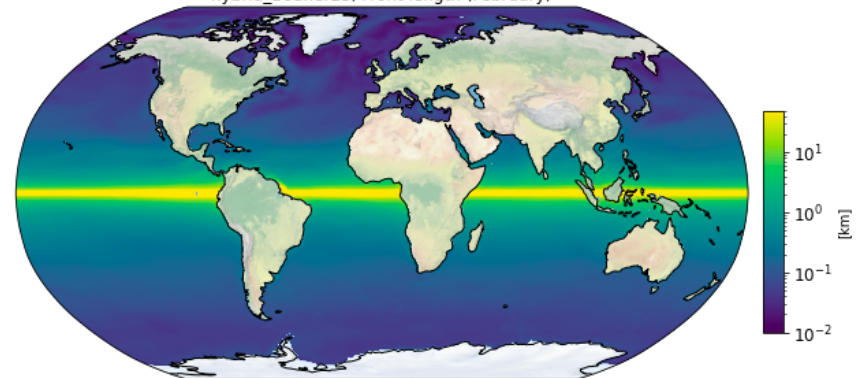
mean=29.45 sd=370.82
ms=371.99



max=19795
min=0.0046456

hybrid_Bodner23, Front length (February)

mean=29.311 sd=370.9
ms=372.06

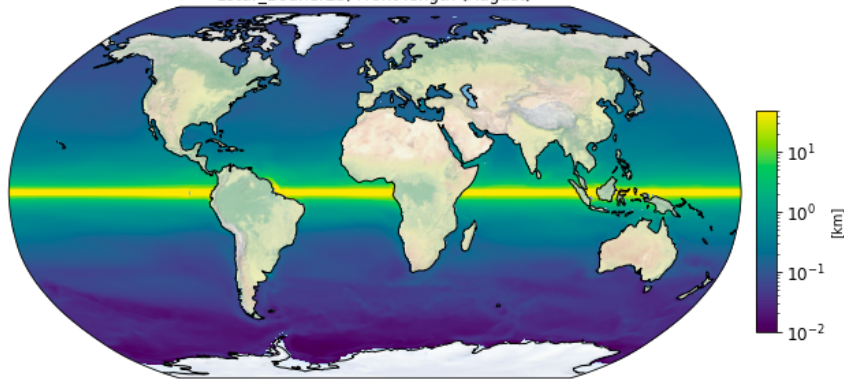


August

max=21995
min=0.0023785

zstar_Bodner23, Front length (August)

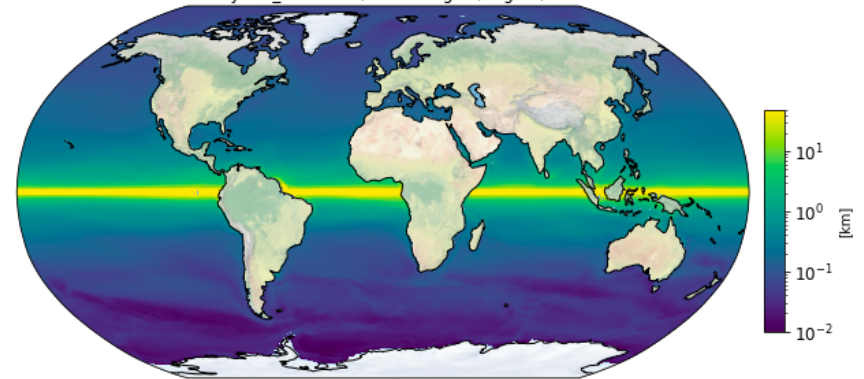
mean=24.692 sd=310.04
ms=311.03



max=21596
min=0.002372

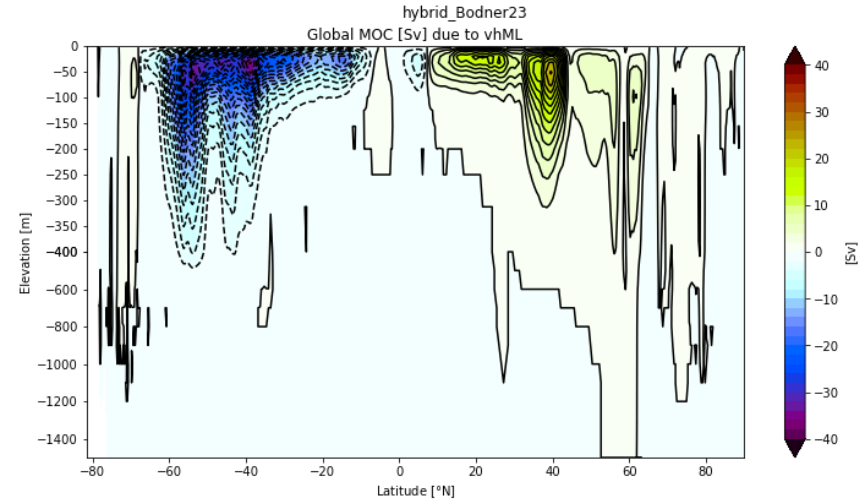
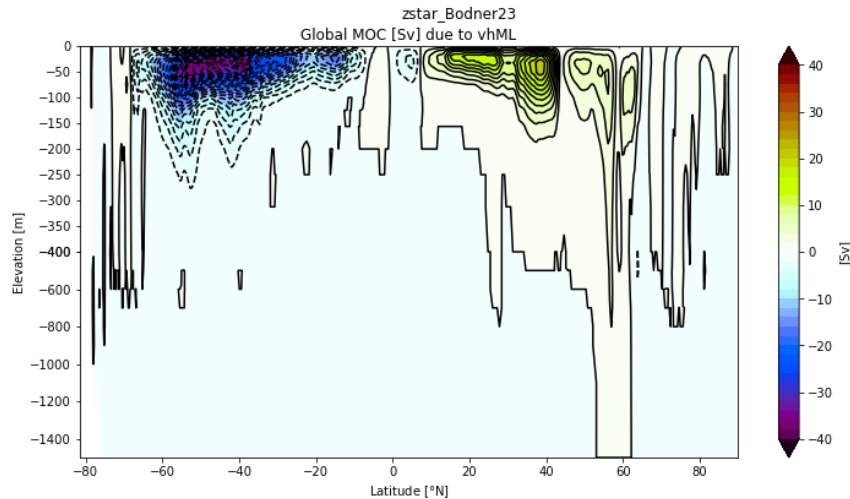
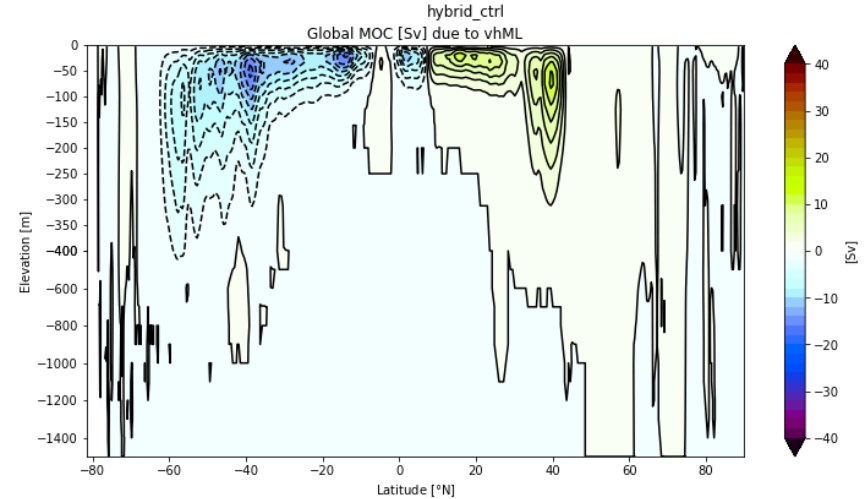
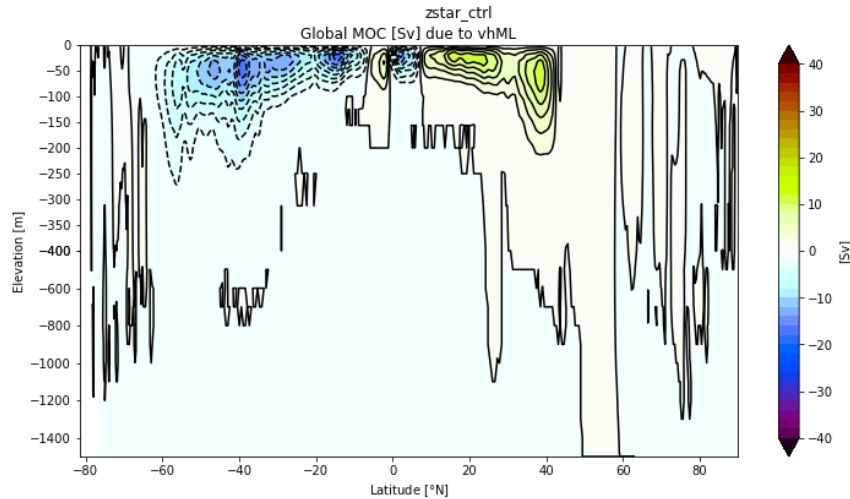
hybrid_Bodner23, Front length (August)

mean=24.727 sd=312.62
ms=313.6



Similar length scales in zstar and hybrid

Global MOC induced by MLE: Bodner vs control



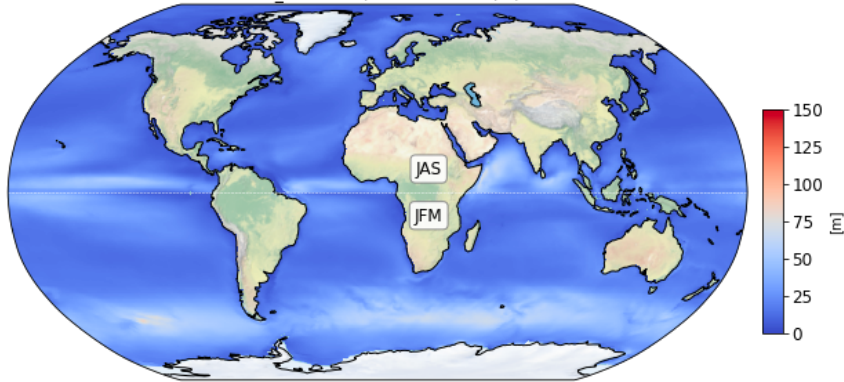
Significantly stronger circulation with the Bodner scheme, as expected.

Summer mixed layer depth (m): Bodner vs control

max=85.612
min=1.4406

zstar_Bodner23, Summer MLD (m)

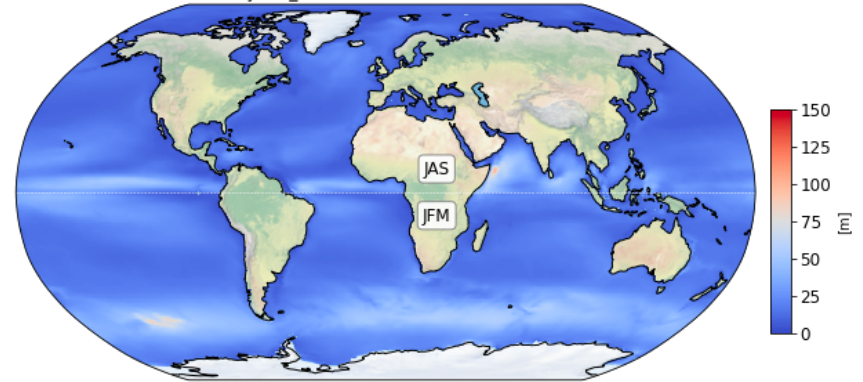
mean=21.152 sd=11.961
rms=24.299



max=100.41
min=1.5499

hybrid_Bodner23, Summer MLD (m)

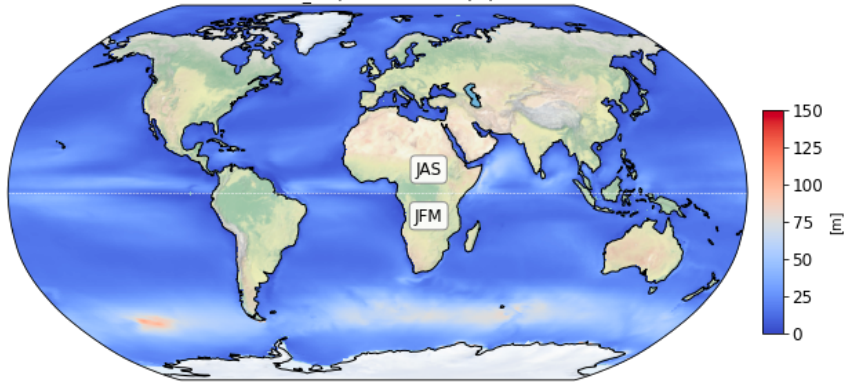
mean=19.971 sd=10.848
rms=22.727



max=125.1
min=1.4721

zstar_ctrl, Summer MLD (m)

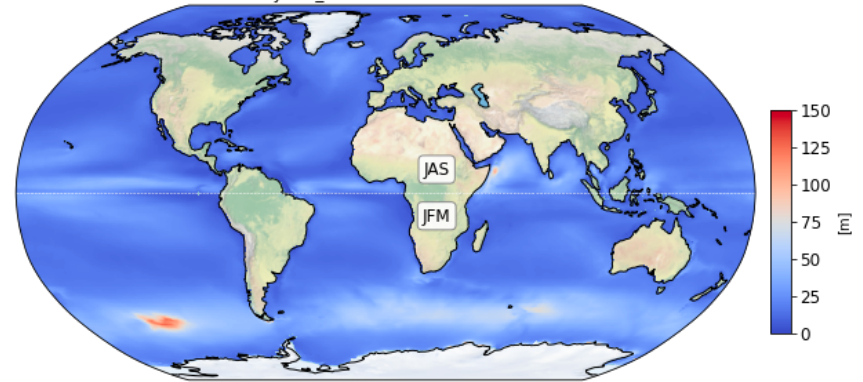
mean=22.163 sd=13.227
rms=25.809



max=125.74
min=1.5288

hybrid_ctrl, Summer MLD (m)

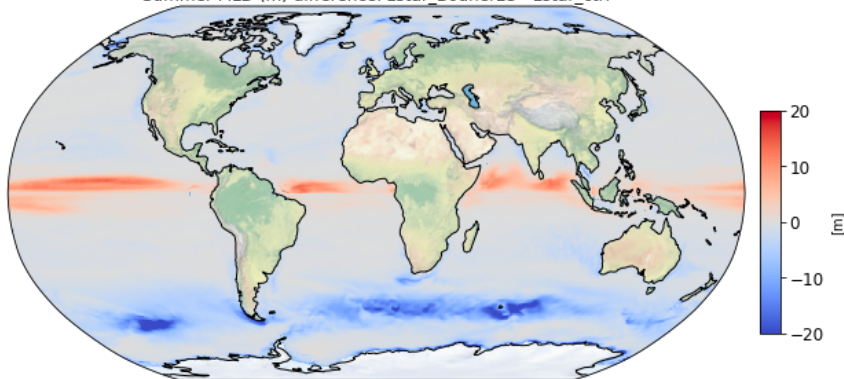
mean=20.857 sd=11.919
rms=24.023



max=15.42
min=-75.795

Summer MLD (m) difference: zstar_Bodner23 - zstar_ctrl

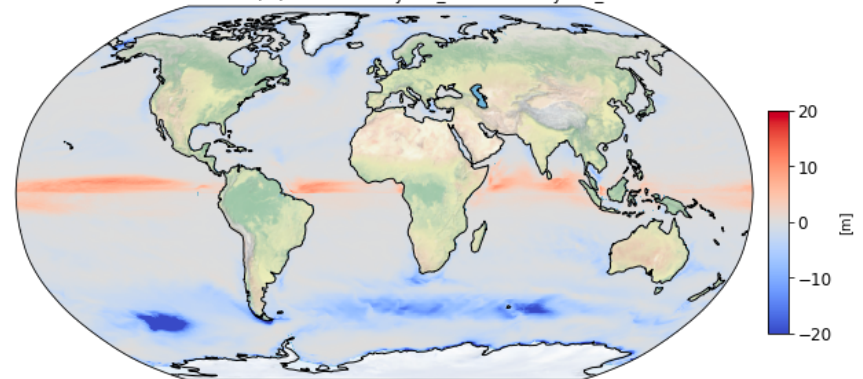
mean=-1.0108 sd=3.4243
rms=3.5704



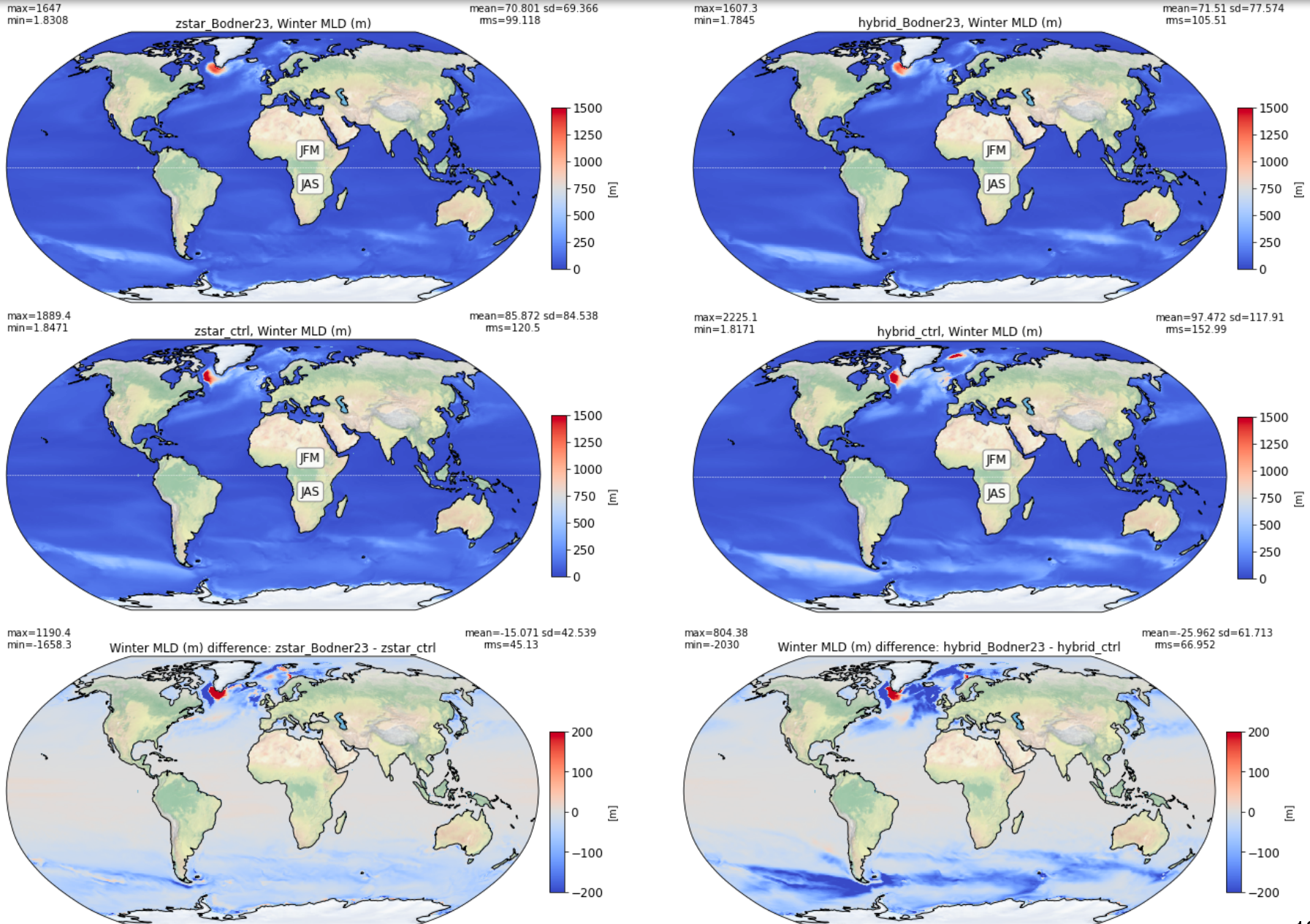
max=15.075
min=-63.43

Summer MLD (m) difference: hybrid_Bodner23 - hybrid_ctrl

mean=-0.88621 sd=3.0523
rms=3.1784

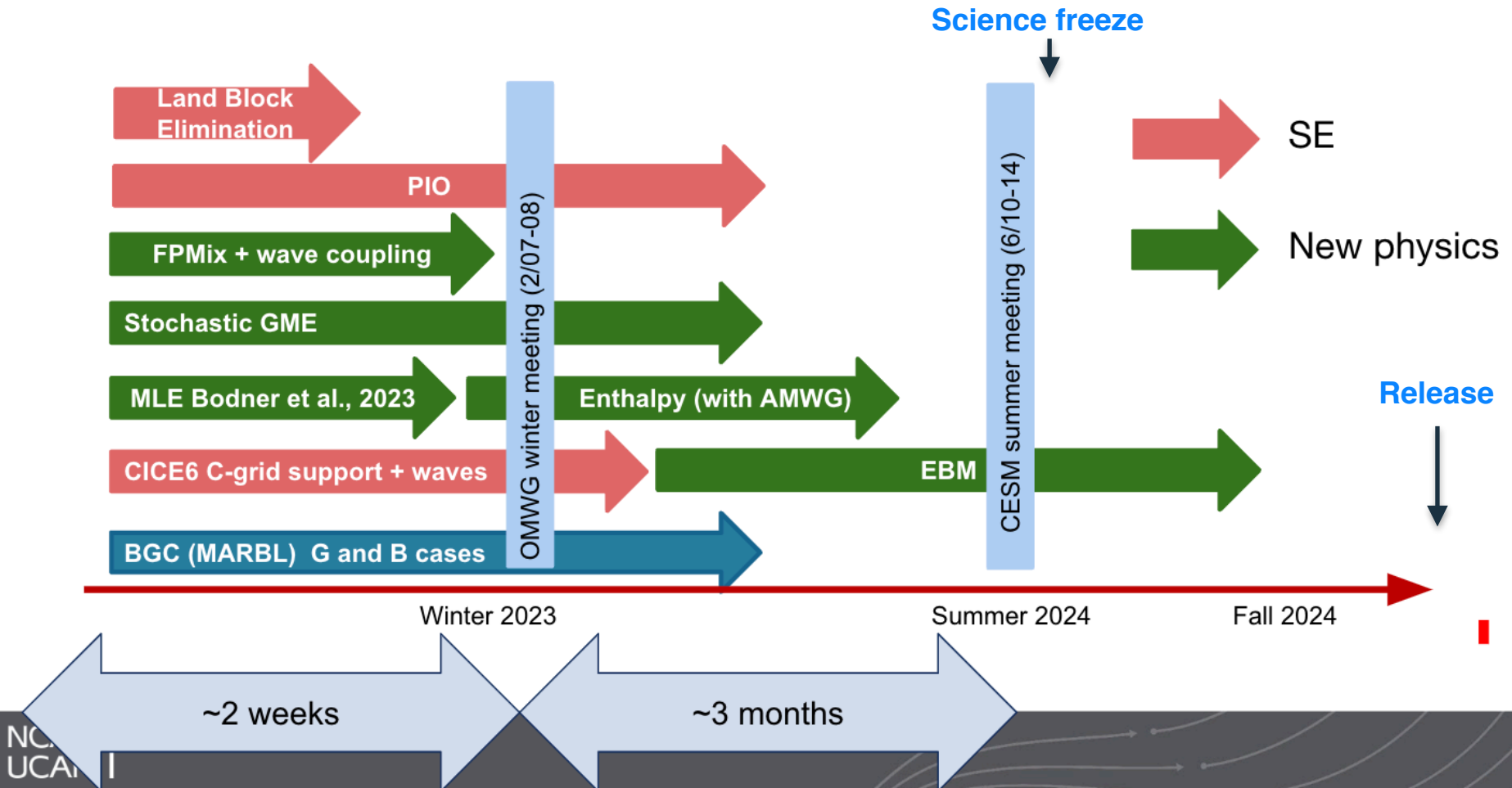


Winter mixed layer depth (m): Bodner vs control

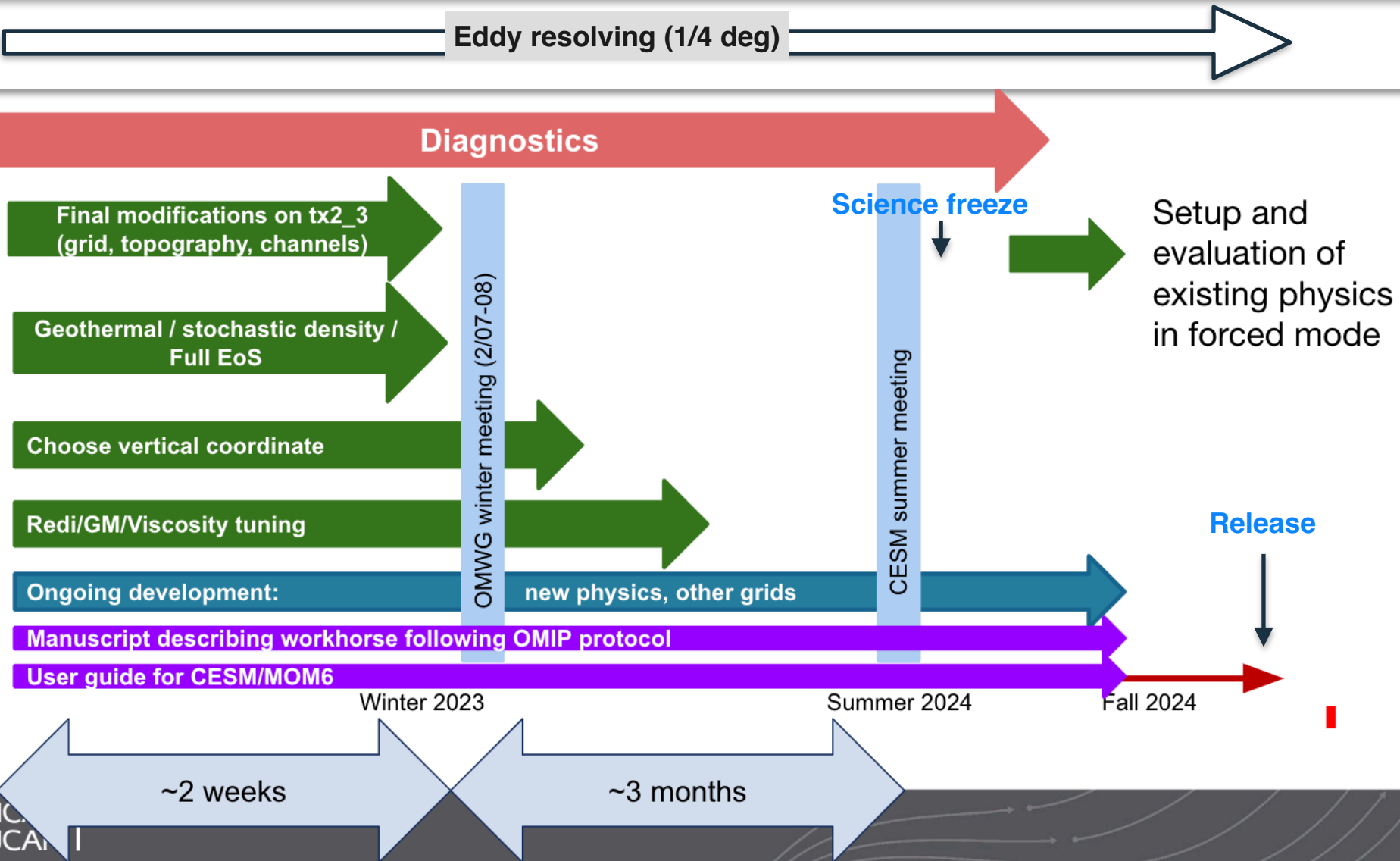


Towards CESM/MOM6 code base

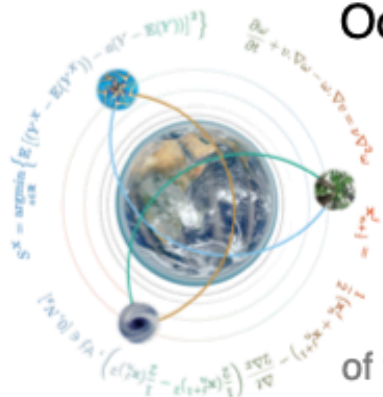
Known bugs, bug fixes, etc (see full list @ <https://github.com/NCAR/MOM6/issues> and https://github.com/ESCOMP/MOM_interface/issues)



Tuning and model features



Save the date



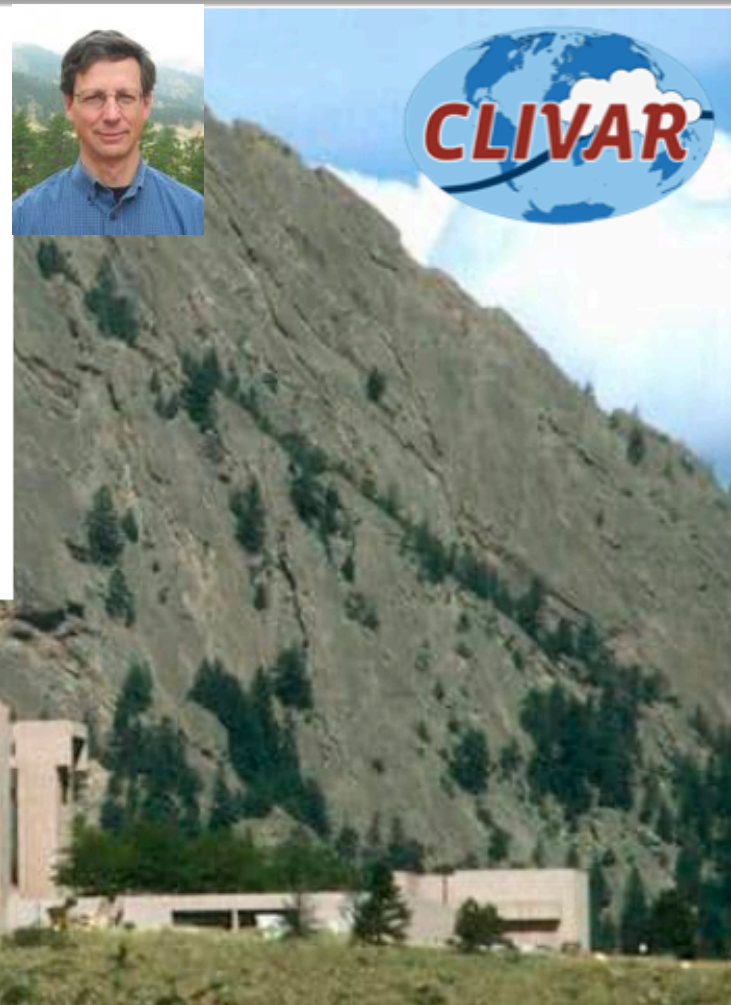
Ocean Model Development Panel & **COMMODORE** workshop

Community for the numerical modeling
of the global, regional and coastal ocean

+ celebration of Frank's achievements!

September 9-13, 2024

Boulder, CO USA



Ocean model development, data-driven parameterization, and machine learning in numerical ocean circulation and climate models.

Thank you!

Pros and cons of zstar and hybrid

Pros

- Easier to work with native grid

zstar

- Stronger global heat uptake
- Worse Med Sea overflow

Cons

hybrid (hycom1)

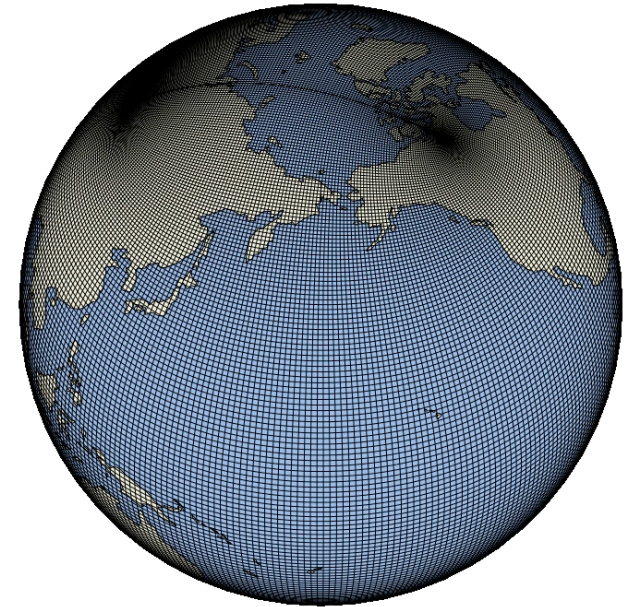
- Mitigate thermocline warm bias
- Good ENSO
- Better overflows?
- Stronger AMOC

- Loss of upper-ocean resolution

CESM/MOM6 global 1/4° configuration

https://github.com/NCAR/tx1_4

- Ocean (MOM6) and sea ice (CICE6) components;
- Nominal 1/4° horizontal resolution in a tripolar grid. Grid built using modified ORCA grid generation;
- Bathymetry and land/sea mask are derived from the Shuttle Radar Topography Mission (SRTM) dataset;
- Vertical grid is z^* with 65 layers;
- NCAR vertical physics package via CVmix;
- Mixed-layer eddies parameterization (Fox-Kemper et al., 2011);
- Control has no mesoscale parameterizations (like OM4_025, Adcroft et al., 2019). Biharmonic dissipation is the **maximum** of i) dynamic (Griffies & Hallberg, 2000) $C_s \Delta^4 \sqrt{D_t^2 + D_s^2}$ ($C_s = 0.06$) and ii) static $u_4 \Delta^3$ ($u_4 = 0.01$ m/s) contributions;



Implementing MEKE/GEOMETRIC in MOM6

Led by Scott Bachman (new CPT, Energetics and mesoscale parameterization)

Mesoscale eddy kinetic energy (MEKE) (Jensen et al., 2015):

MEKE

$$\partial_t E = \dot{E}_{bg} + \underbrace{\gamma_{GM} \dot{E}_{GM}}_{\text{Energy transferred from GM}} + \cancel{\gamma_\nu \dot{E}_\nu} - \underbrace{\left(2 \frac{C_d}{H} |U_b| E_b \right)}_{\text{Energy lost to bottom drag}} + \underbrace{\mathcal{D}_E}_{\text{Diffusion}} \quad (1)$$

0

GEOMETRIC → $\kappa_{GM} = \alpha E \frac{N}{|\nabla b|}$ (Marshall et al., 2012) (2)

MEKE EQUILIBRIUM → $E_{eq} = \alpha \frac{H^2}{C_D} \frac{|\nabla b|^2}{N^2}$ (3)

Energy transferred from GM ≈ Energy lost to bottom drag

MEKE FINAL

$$\partial_t E = \dot{E}_{bg} + \gamma_{GM} \dot{E}_{GM} + \gamma_\nu \dot{E}_\nu - \left(2 \frac{C_d}{H} |U_b| E_b \right) + \mathcal{D}_E - \lambda (E - E_{eq}) \quad (4)$$

Time-scale ↑